

Introduction

Basic concepts

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Feature differences between top and bottom **vasculature** *in retina fundus images*

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Introduction

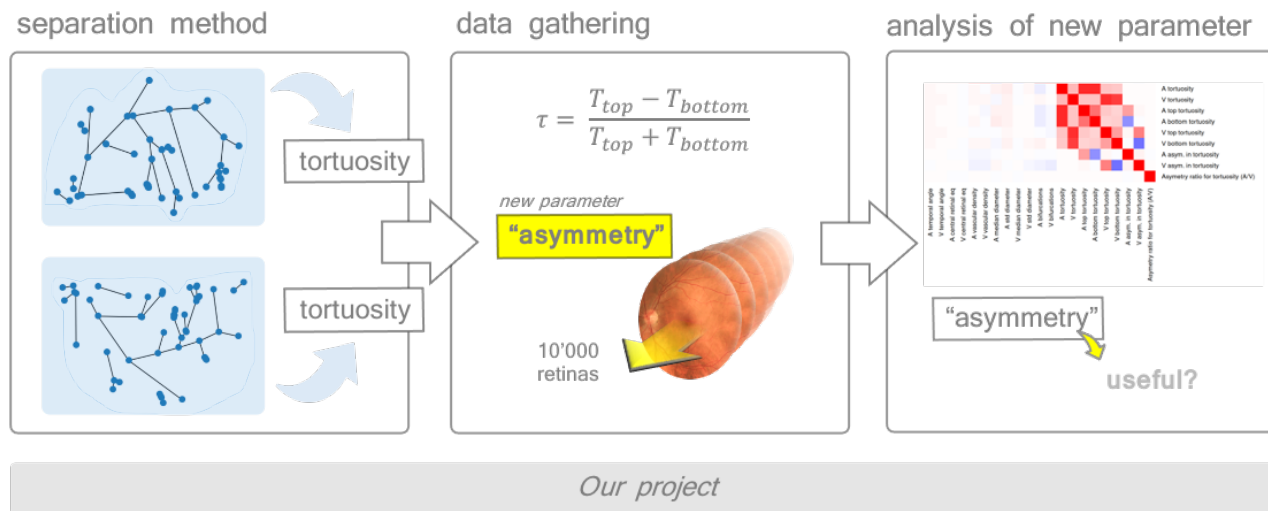
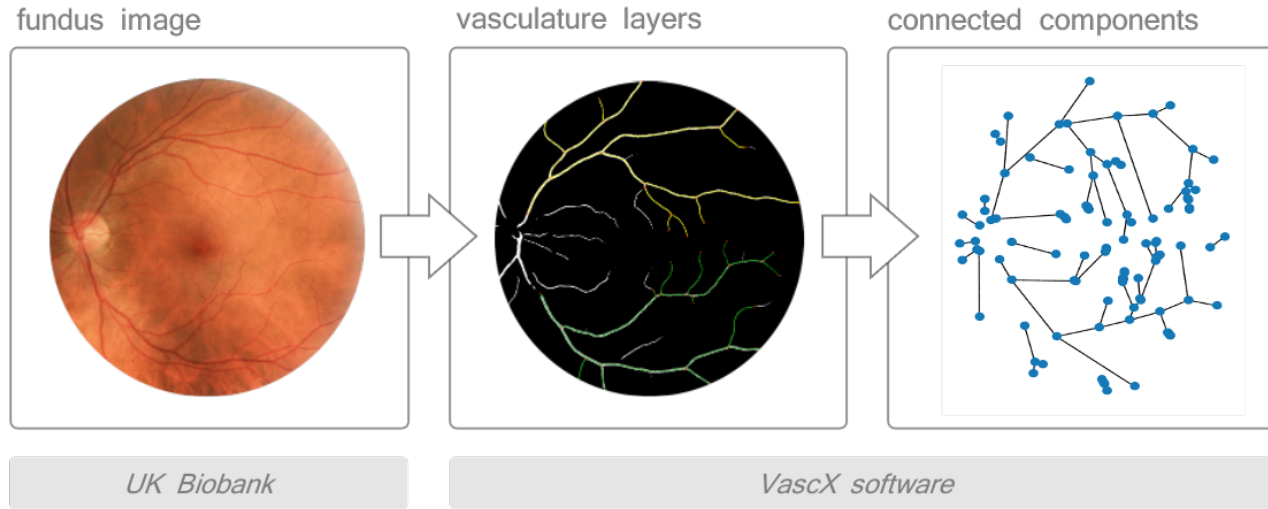
Basic concepts

Goals

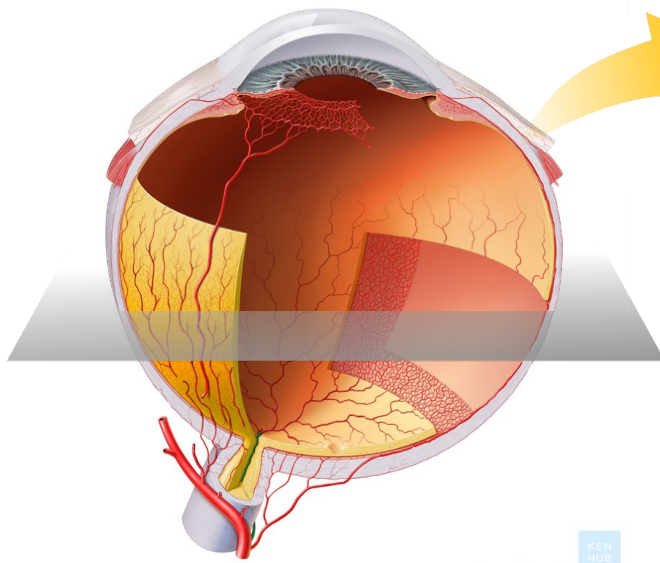
Methods

Results

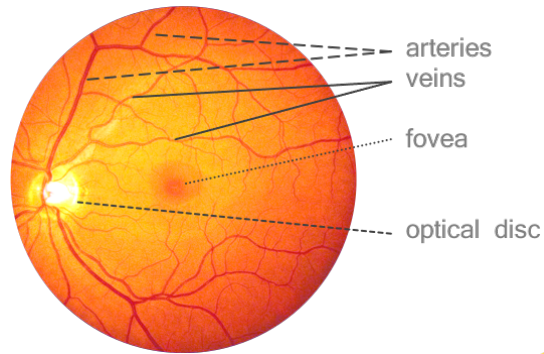
Next steps



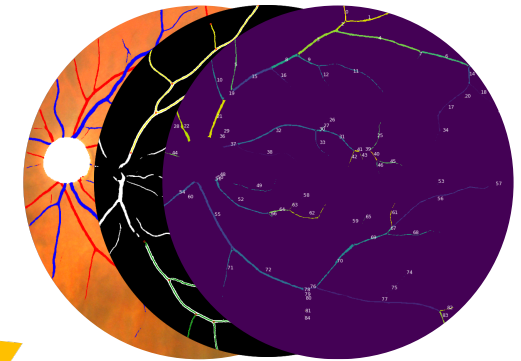
Retina fundus images are processed by a python software, **vascX**



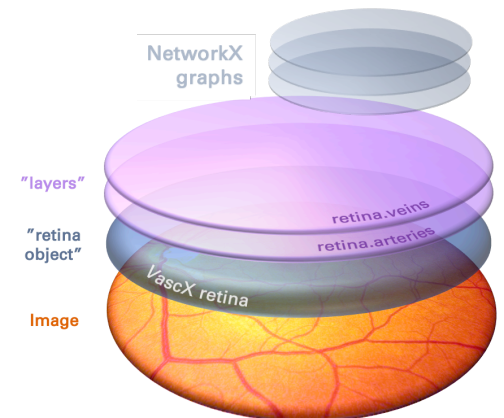
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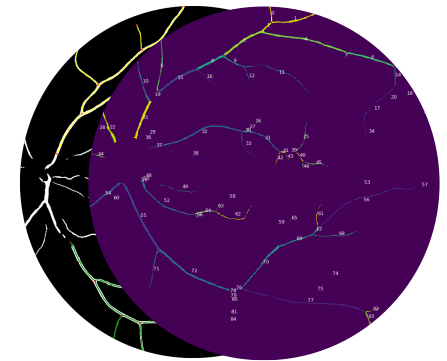
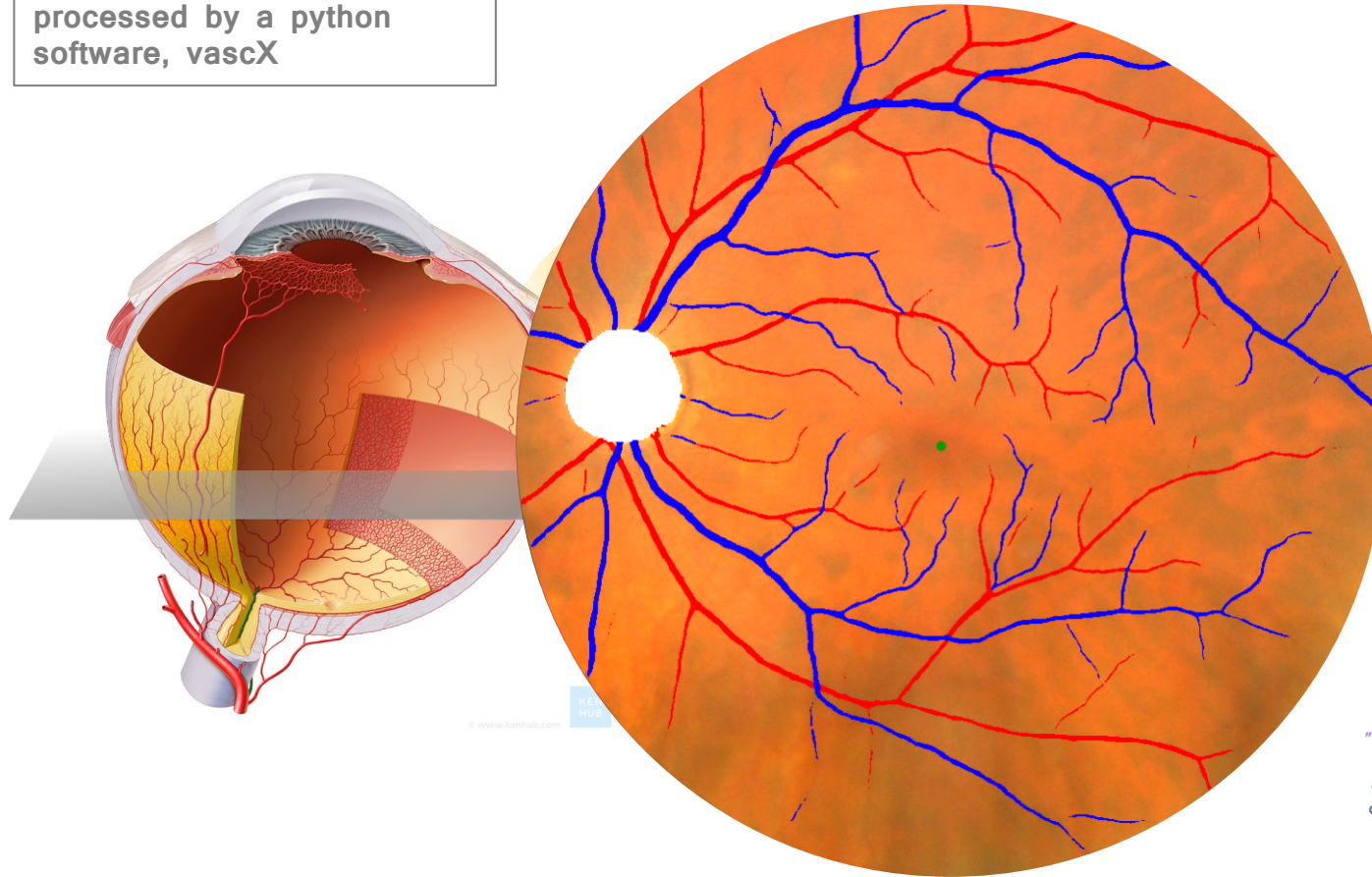
retina fundus image



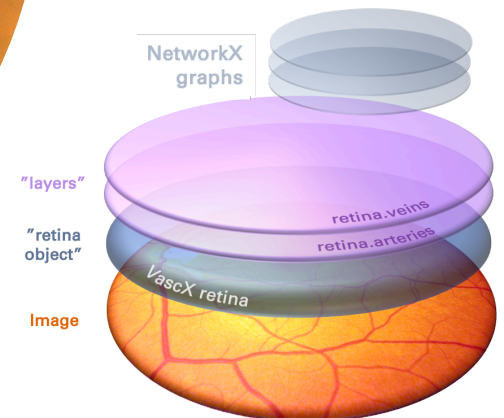
segmentation with the software *VascX* (python)



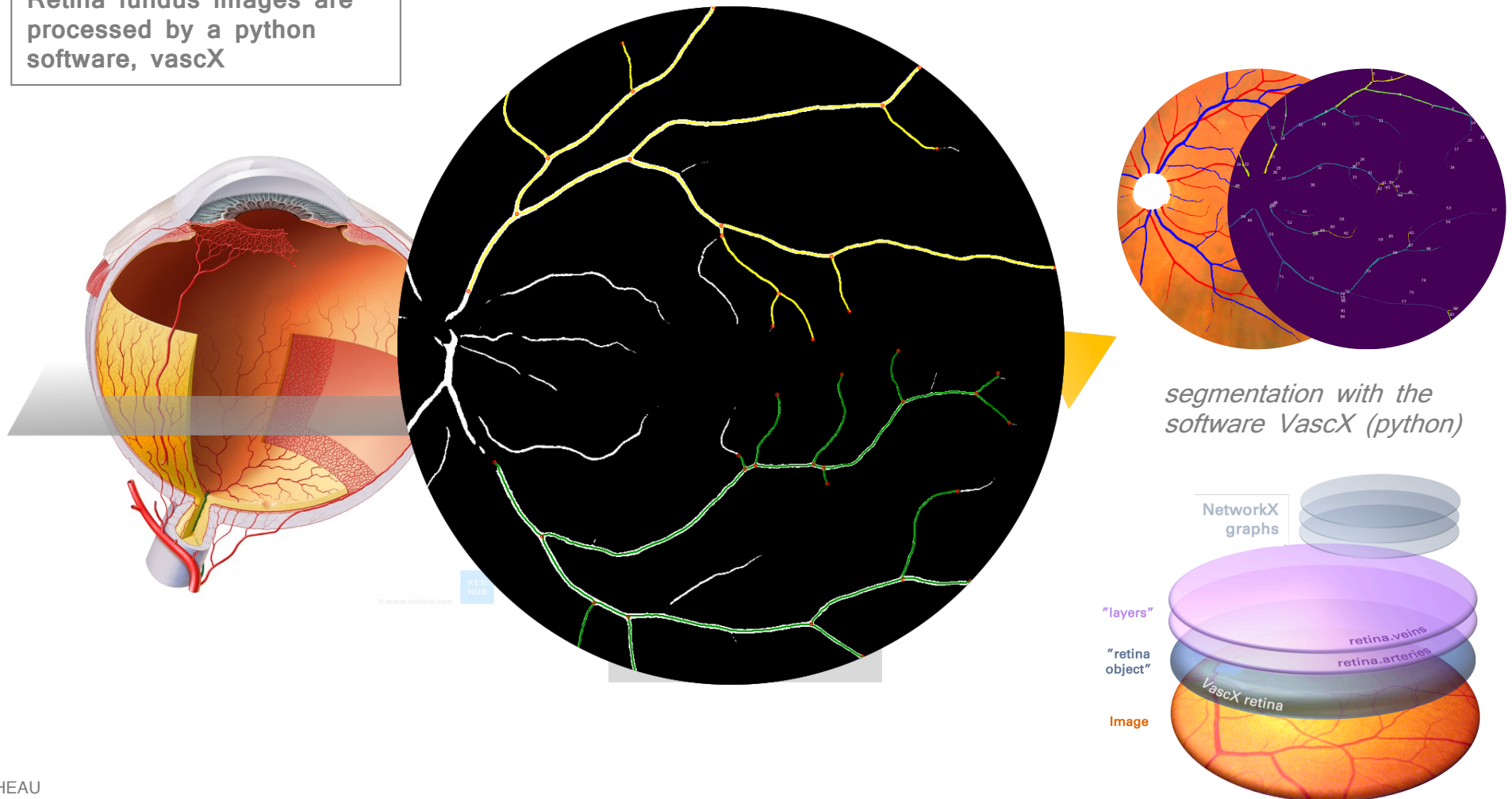
Retina fundus images are processed by a python software, vascX



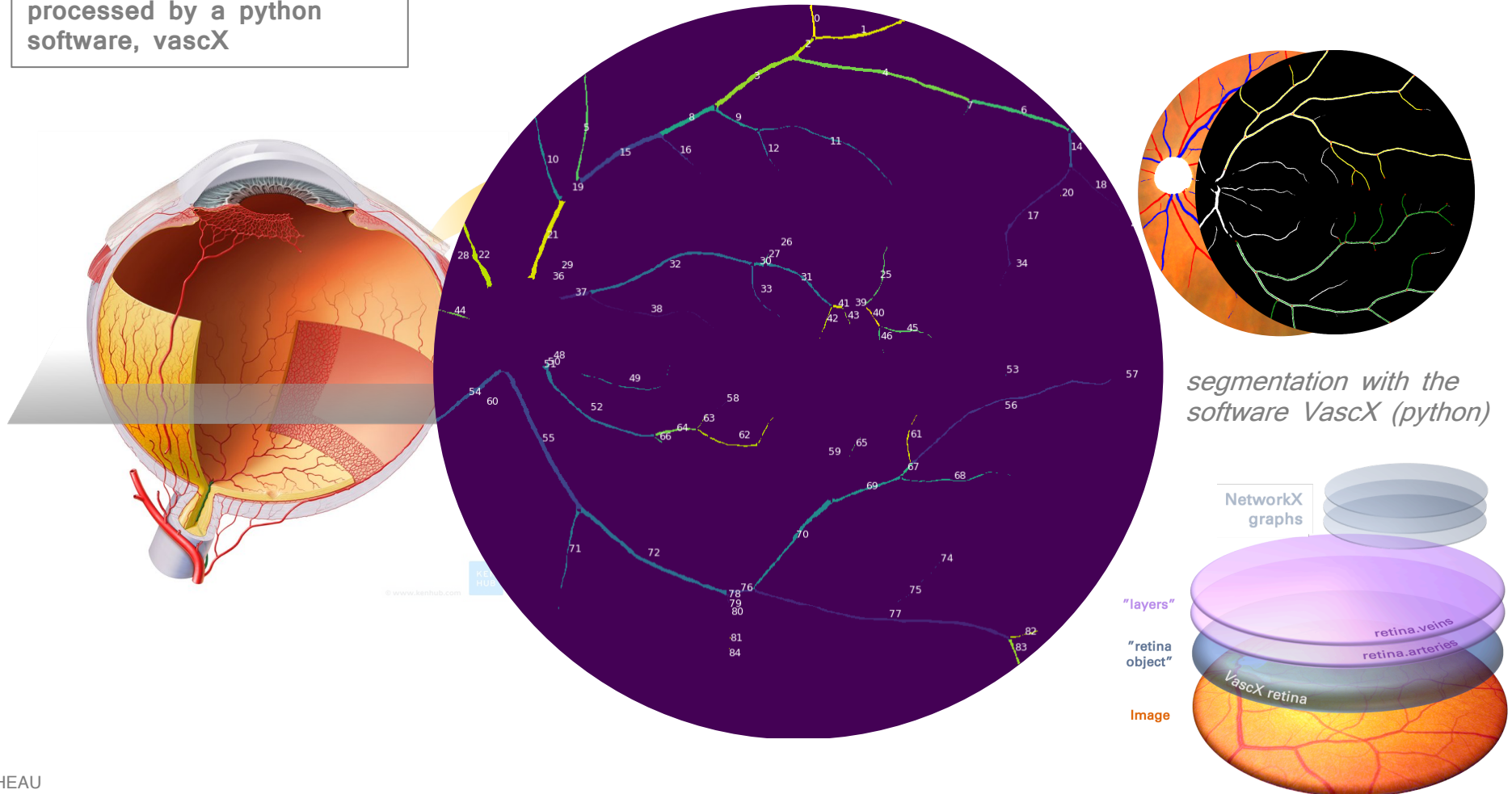
segmentation with the software VascX (python)



Retina fundus images are processed by a python software, *vascX*

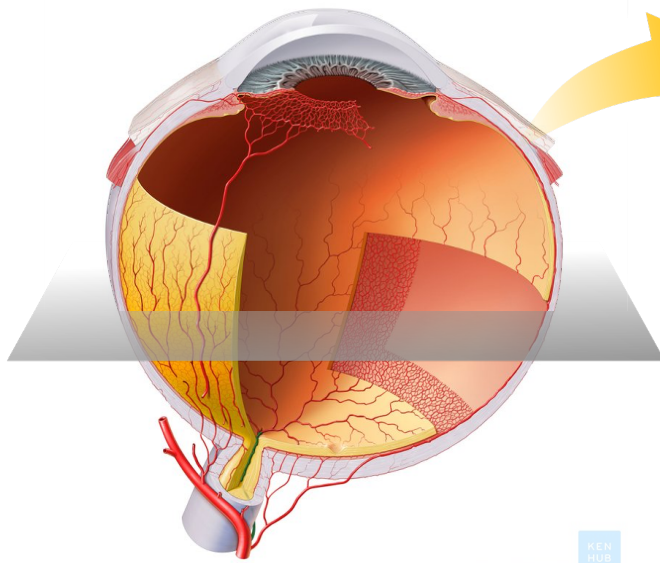


Retina fundus images are processed by a python software, vascX

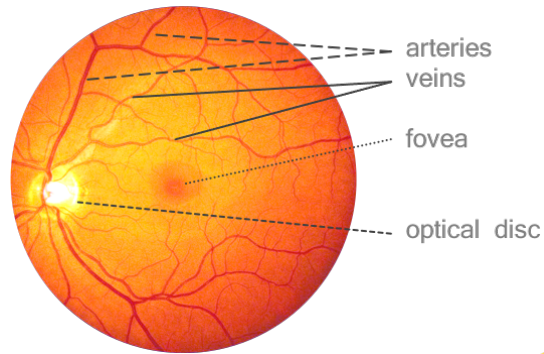


segmentation with the software VascX (python)

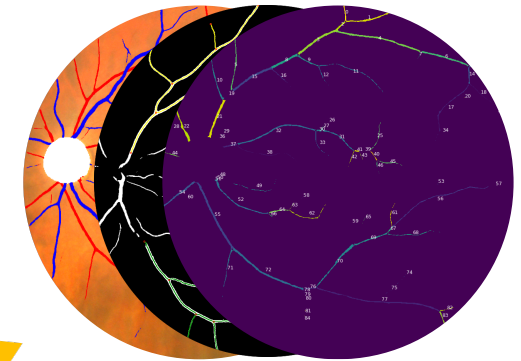
Retina fundus images are processed by a python software, **vascX**



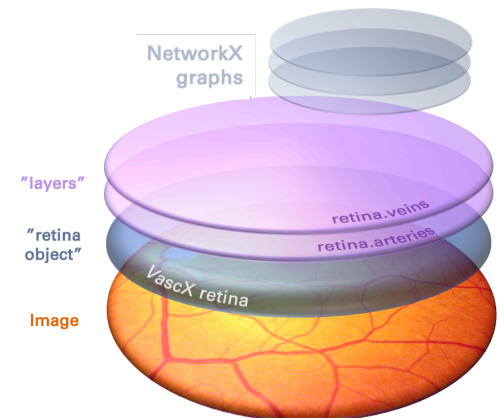
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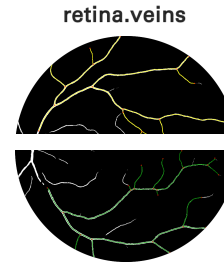
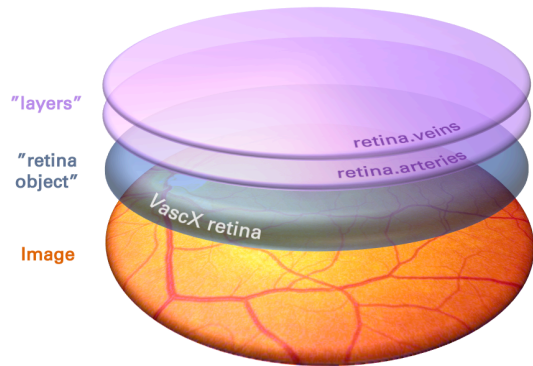
retina fundus image



segmentation with the software *VascX* (python)

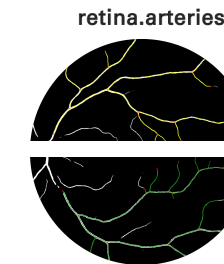


We want to know if there is a different tortuosity value for each hemisphere within each vessel layer



asymmetry

useful?



asymmetry

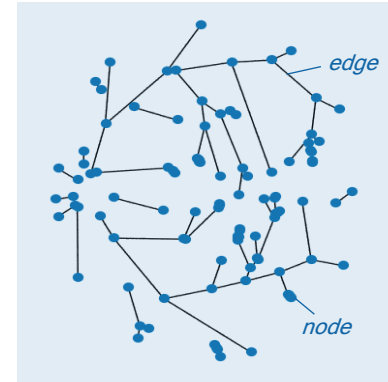
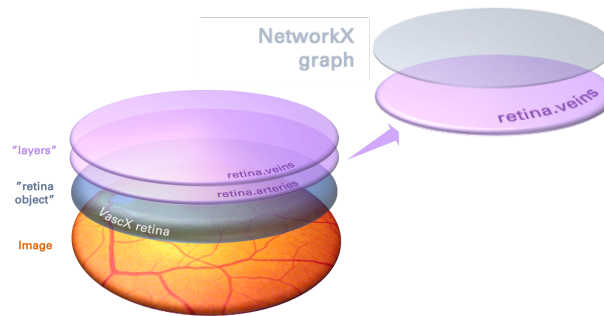
Separate top and bottom

Calculate tortuosity for each hemisphere

Calculate the asymmetry between the two hemispheres

Determine if the trait is correlated to other known characteristics to see if it's worth it

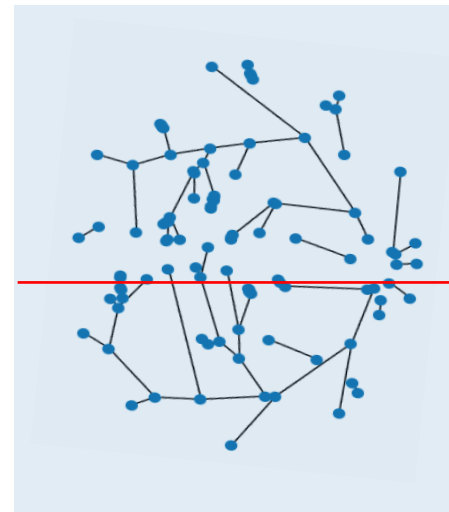
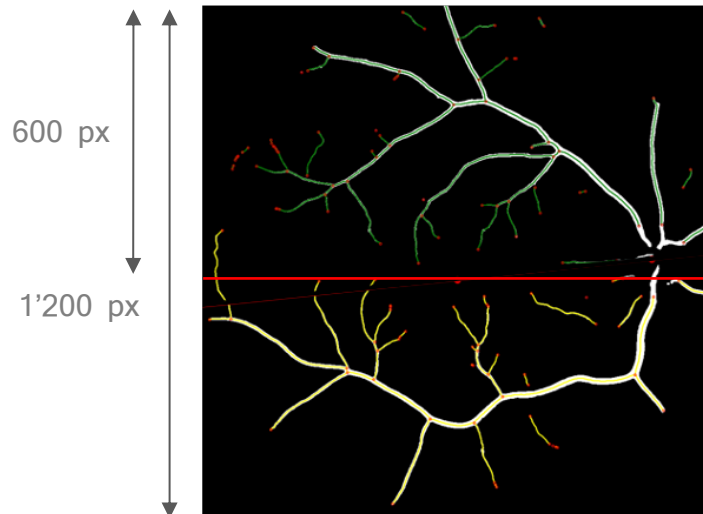
Using the graph representation of the vasculature from the retina object, we need to separate the "nodes" and "edges" to the TOP or BOTTOM



graph

Method 1: "dumb separation"

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$



```

if edge above y = 600
    add edge to "TOP"
else
    add edge to "BOTTOM"

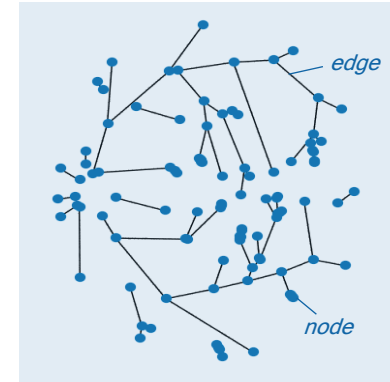
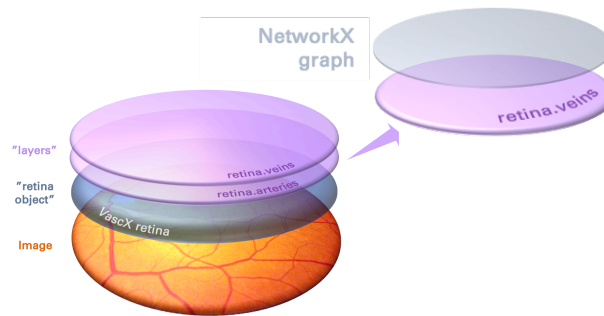
```

*global tortuosity =
tortuosity(all edges)*

top tortuosity = tortuosity("TOP")

*bottom tortuosity =
tortuosity("BOTTOM")*

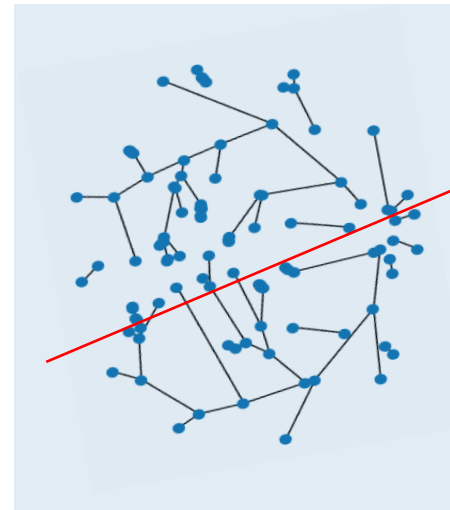
Using the graph representation of the vasculature from the retina object, we need to separate the "nodes" and "edges" to the TOP or BOTTOM



graph

Method 2: Biological anchor points

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$



if *edge* above $y = mx + b$
add edge to "TOP"

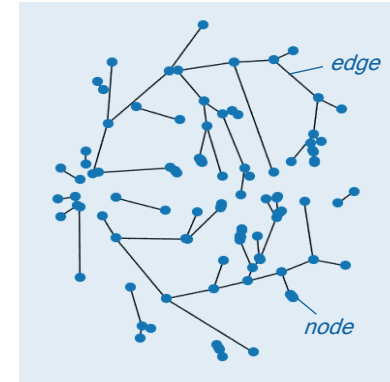
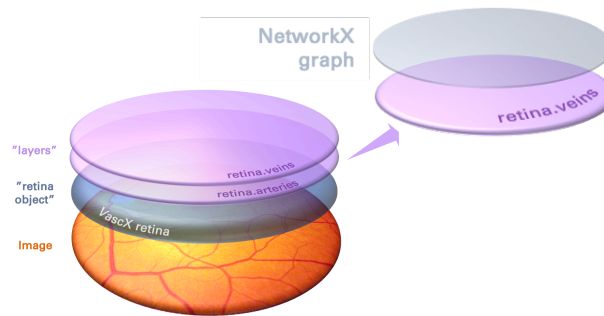
else add edge to "BOTTOM"

global tortuosity =
tortuosity(all edges)

top tortuosity = *tortuosity("TOP")*

bottom tortuosity =
tortuosity("BOTTOM")

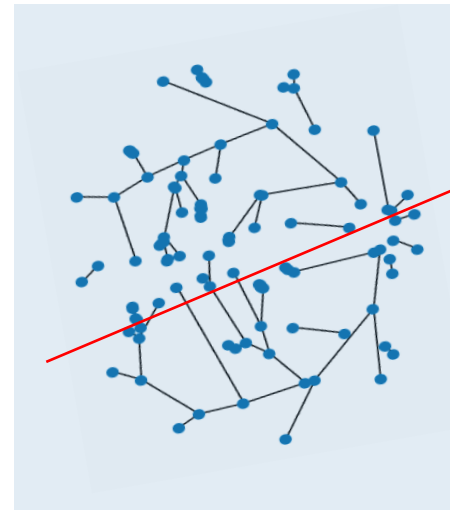
Using the graph representation of the vasculature from the retina object, we need to separate the "nodes" and "edges" to the TOP or BOTTOM



graph

Method 3: Biological anchor points + connected components

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$



```
nx.connected_components(G)
```

```
for connected component in [...]
```

```
    barycentre = (mean(nodes(x)),
                 mean(nodes(y)))
```

```
    if barycentre above  $y = mx + b$ 
```

```
        add connected
        component to "TOP"
```

```
    else add connected
        component to "BOTTOM"
```

```
global tortuosity =
tortuosity(all edges)
```

```
top tortuosity = tortuosity("TOP")
```

```
bottom tortuosity =
tortuosity("BOTTOM")
```

Method 3: Biological anchor points + connected components

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$

```

nx.connected_components(G)
for connected component in [...]
    barycentre = (mean(nodes(x)),
                 mean(nodes(y)))
    if barycentre above  $y = mx + b$ 
        add connected component to "TOP"
    else
        add connected component to "BOTTOM"

global tortuosity = tortuosity(all edges)
top tortuosity = tortuosity("TOP")
bottom tortuosity = tortuosity("BOTTOM")

retina.veins list of all top tortuosities
              list of all bottom tortuosities

retina.arteries list of all top tortuosities
                list of all bottom tortuosities

control : fuse and random.shuffle then re-assign to top/bottom
median / sd of the lists, asymmetry values

```

Repeat for x retinas

actual algorithm

retina

calculate *fovea - optical disc* equation

retina.veins

retina.arteries

in *retina.veins*

calculate global tortuosity

make dictionnary `retina.veins.graph.edges` → segment object

go in *retina.veins.graph*

make dictionnary connected component → TOP/BOTTOM

in dictionnary 'TOP'

[...] list of all top tortuosities

for connected component in 'TOP'

for edge in connected component

- find back its segment object
- calculate the tortuosity value for the seg.
- append it to the top tortuosity list

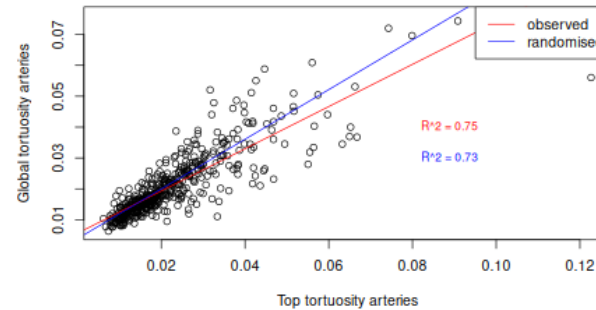
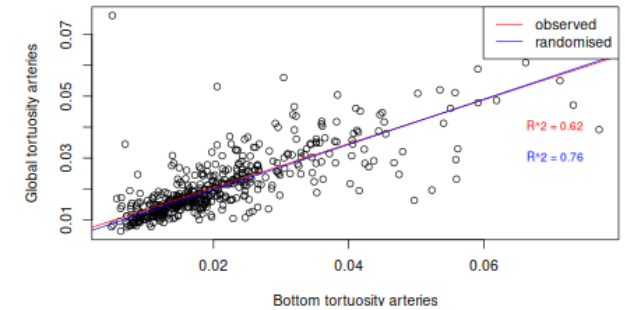
in dictionnary 'BOTTOM'

[...]

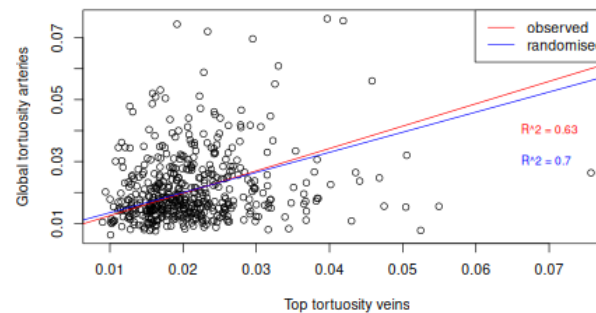
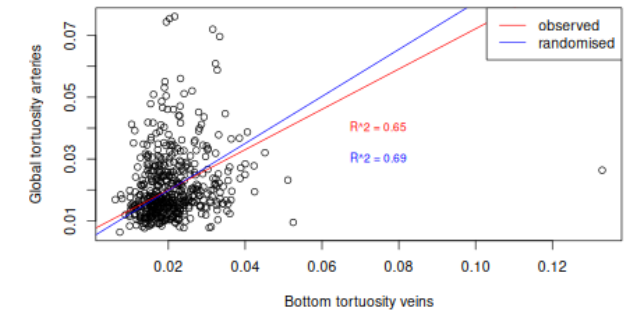
in *retina.arteries*

[...]

Is the tortuosity for only top/bottom so different than the global tortuosity ? → linear regressions (each point is one retina)

global vs top*arteries**global vs bottom*

500 retinas

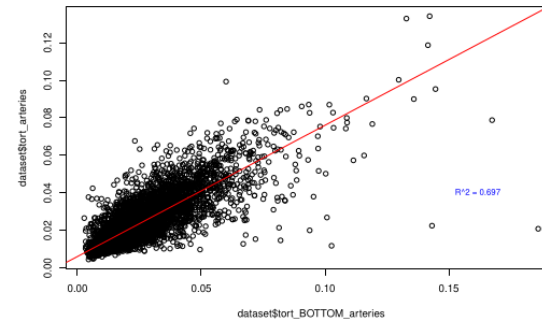
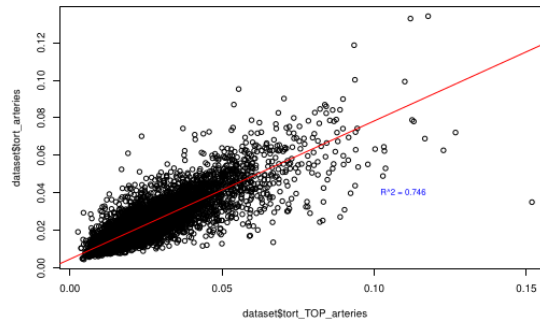
*veins*

Is the tortuosity for only top/bottom so different than the global tortuosity?
 ? → linear regressions (each point is one retina)

global vs top

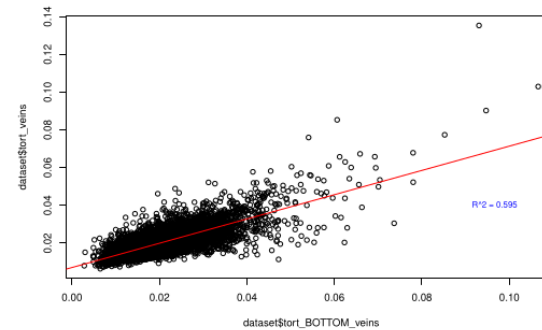
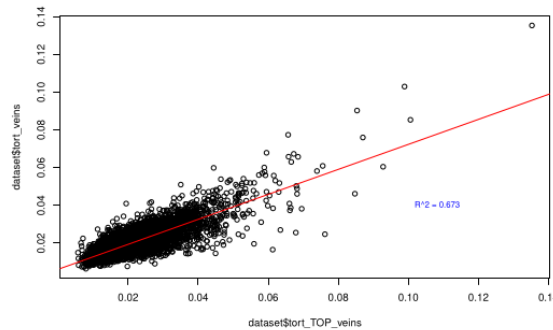
global vs bottom

arteries



10'000 retinas

veins



Is the tortuosity for only top/bottom so different than the global tortuosity ? → linear regressions (each point is one retina)

it appears so

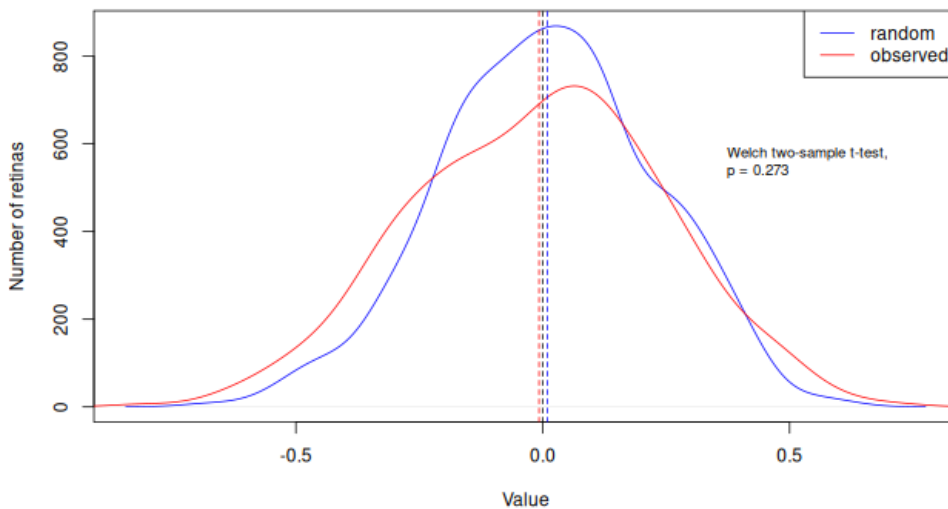
calculate an asymmetry coefficient

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$

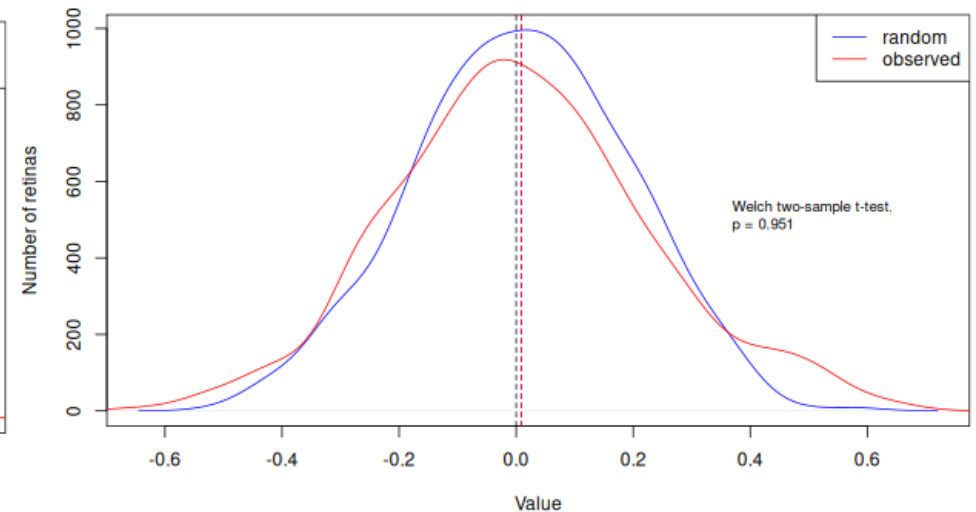
we can plot the distribution of the asymmetries observed vs randomized to see if there is a significant effect

The asymmetry could as well have been randomly generated?

Distribution of the asymmetry: random v. observed (arteries, 500 retinas)



Distribution of the asymmetry: random v. observed (veins, 500 retinas)



Is the tortuosity for only top/bottom so different that the top tortuosity ?
 → linear regressions (each point is one retina)

it appears so

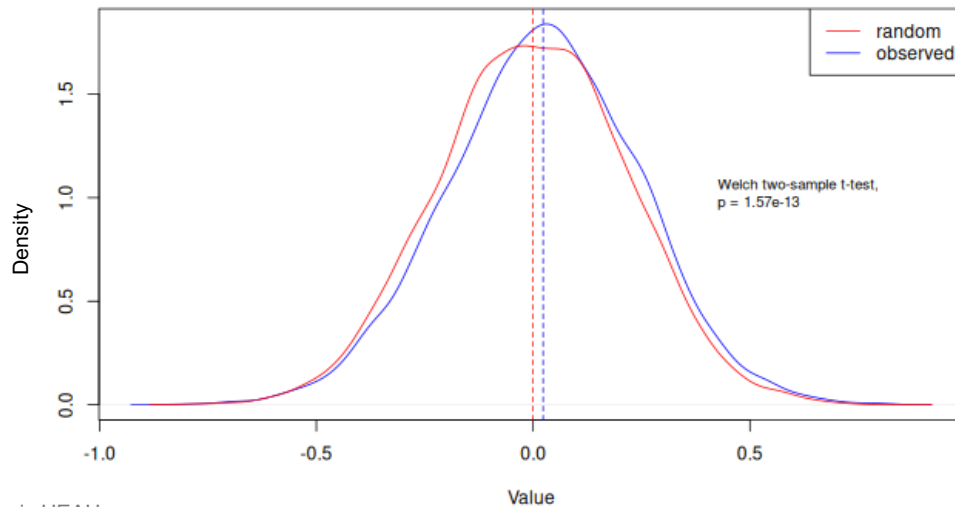
calculate an asymmetry coefficient

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$

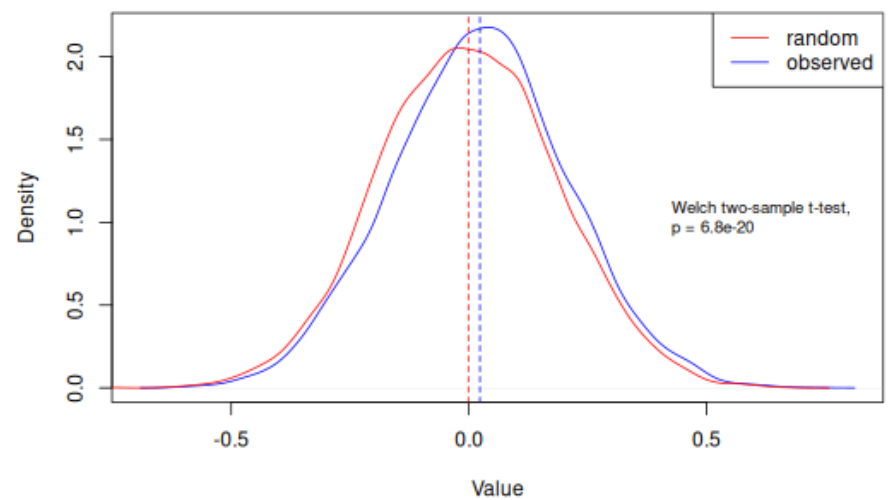
we can plot the distribution of the asymmetries observed vs randomized to see if there is a significant effect

The asymmetry could as well have been randomly generated?

Distribution of the asymmetry: random v. observed (arteries, 10'000 retinas)



Distribution of the asymmetry: random v. observed (arteries, 10'000 retinas)



new “asymmetry” value which seems to encode the existing difference between the top and bottom tortuosities

is it correlated with other traits that have been calculated ? If it is it's not useful we could just take the other traits...

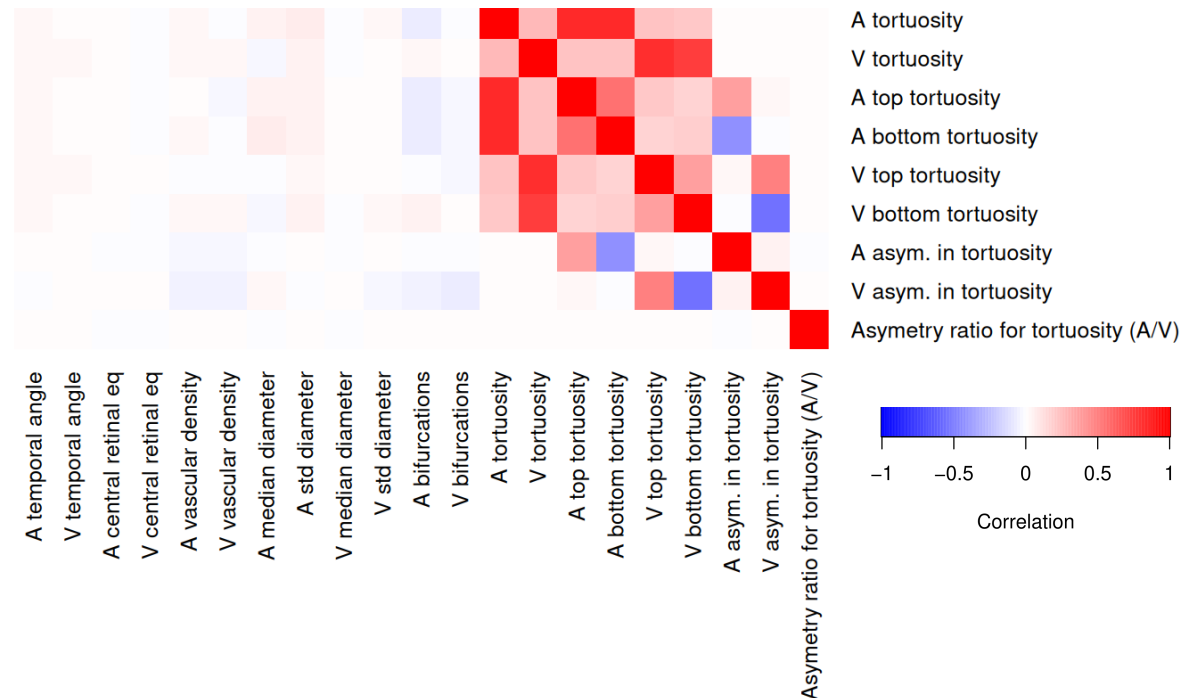
diagonal ✓

coherent with the formula ✓

$$\tau = \frac{T_{top} - T_{bottom}}{T_{top} + T_{bottom}}$$

correlated ? ✗

Correlation heatmap of tortuosity traits



Asymmetry

- Genetic factors?
→ GWAS
- Environment?
→ Sun?
→ Diseases

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Thank you!